## eExam Question Bank

## Coursecode:

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Show $150 \quad$ entries
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| $\square$ | FBQ | Find the resultant of the following displacements: A, 20 $\mathrm{Km} 30^{\circ}$ south of east; B, 50 Km due west; C, 40 Km northeast; D, $30 \mathrm{Km} 60^{\circ}$ south of west <br> (answer to a decimal place) | 20.9 |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\square$ | MCQ | The scalar triple product vanishes if the vectors are | axial vector | planar vector | coplanar vector | flexural vector | C |
| $\square$ | MCQ | The scalar product b.c implies that | the length of $b$ divided by the projection of $c$ on $b$, or vice versa. | the length of $b$ multiplied by the projection of $c$ on b, or vice versa. | the product of $b$ and $c$ multiplied by the projection of $c$ on $b$, or vice versa. | all of the above | B |
| $\square$ | MCQ | The Scalar product is defined as | $aldot \(\mathrm{b}=\mathrm{ab}\) Sinlthetal] & \[aldot b = ab Coslthetal] & \(\backslash[\mathrm{a} \times \mathrm{b}=\mathrm{ab}\) Sinlthetal] & None of the above & B \\ \hline \(\square\) & MCQ & If[ [thetal] is the angle between the vectors \(a\) and \(b\), then by elementary trigonometry the length of their sum is given by &\begin{tabular}{l} \[ V(a+b)^{\wedge} 2=a^{\wedge} 2+b^{\wedge} 2+$ 2abCoslthetal]\end{tabular}&$\backslash\left[(a+b)^{\wedge} 2=a^{\wedge} 2-b^{\wedge} 2+\right.$ <br> 2abSinlthetal] & $\begin{aligned} & \\ left[(a-b)^{\wedge} 2=a^{\wedge} 2+b^{\wedge} 2+\right. \\ & \text { 2abCoslthetal] } \end{aligned}$ | $\begin{aligned} & \backslash(a+b)^{\wedge} 2=a^{\wedge} 2+b^{\wedge} 2 \\ & +2 a b S i n \mid t h e t a l] \end{aligned}$ | A |  |  |
| $\square$ | MCQ | The addition of two vectors a and $b$ defined geometrically by drawing one vector from the head of $a$ to $b$ is known as the. $\qquad$ | triangular law for addition of forces. | rectangular law for addition of forces | law of addition of forces | parallelogram law for addition of forces | D |
| $\square$ | MCQ | What is the relationship between vectors $a$ and $b$ if $\backslash$ [aldot $\mathrm{b}=0$ \]? | Parallel | Symmetrical | Perpendicular | Asymmetrical | C |
| $\square$ | MCQ | The vector product of any two non-parallel vectors $a$ and $b$ drawn from 0 define a unique axis through the origin 0 perpendicular to the plane containing $a$ and $b$ is given by | \$\$left\|a \times b \right| = ab sin ltheta\$\$ | \$\$Veft\|a |times b \right| = ab cos ltheta\$\$ | \$\$left\|b \times a \right| = ab sin \theta\$\$ | \$\$Veft\|b \times a \right| = ab cos \theta\$\$ | A |
| $\square$ | MCQ | Gauss' theorem states that if V is a volume in space bounded by the closed surface S ,then for any vector field $B$ | \$\$liint <br> dV bigtriangledownlcdot <br> B = liint_\{s\} dS \cdot <br> B\$\$ | \$\$1iiint_\{v\} <br> dV bigtriangledownlcdot <br> B = liint_\{s\} dV \cdot B\$\$ | \$\$iiiint_\{v\} <br> dV bigtriangledownlcdot <br> B = liint_\{s\} dS \cdot <br> B\$\$ | \$\$1iiint_\{v\} <br> dV1bigtriangledownlcdot <br> S = liint_\{s\} dS \cdot <br> B\$\$ | B |
| $\square$ | MCQ | Stokes' theorem states that if A is any vector field, then | \$ \$ intlint dSIcdot(\bigtriangledown \|times A) = loint_\{c\}drlcdot A\$\$ | \$ $\$$ lintlint <br> dSIcdot(lbigtriangledown <br> \|times A) = loint drlcdot <br> A\$\$ | \$ $\$$ lint <br> dSIcdot(\bigtriangledown <br> \|times A) = <br> loint_\{0\}drlcdot A\$\$ | none of the above | A |
| $\square$ | MCQ | The vector product of $a$ and $b$ is denoted by | \$\$a \cdot b\$\$ | $\mathrm{a}, \mathrm{b}$ | $\backslash\left[a^{\wedge} \mathrm{b} \backslash\right]$ | $a \times b$ | D |
| $\square$ | MCQ | Let T be a symmetric tensor such that \$\$T.a = Vlambda a\$\$ then $\$ \$$ llambda $\$ \$$ is called. $\qquad$ of $T$ | unit vector | eigenvalue | eigenvector | all of the above | B |
| $\square$ | MCQ | Let T be a symmetric tensor such that \$\$T.a = Vlambda a\$\$ then a is called. $\qquad$ of T | unit vector | eigenvalue | eigenvector | all of the above | C |
| $\square$ | MCQ | When was a system of particles in equilibrium? | When the total virtual work of the actual force is at equilibrium | When the total virtual work of the actual force is zero | When the total virtual work of the actual force is constant | When the total force of the actual virtual work is zero | B |


| $\square$ | MCQ | Let $\$ \$ \mathrm{a}=(3 \mathrm{i}-2 \mathrm{j}+\mathrm{k}) \$ \$, \$ \$ \mathrm{~b}=2 \mathrm{i}-4 \mathrm{j}-$ $3 k \$ \$$ and $\$ \$ c=-i+2 j+2 k \$ \$$, find the magnitude of $a+b+c$ | \$\$41sqrt\{2\}\$\$ | \$\$51sqrt\{2\}\$\$ | \$\$81sqrt\{3\}\$\$ | \$\$41sqrt\{3\}\$\$ | A |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\square$ | MCQ | For a body of mass $m$ with a acceleration D' Alembert's principle can be expressed as | $\begin{aligned} & \$ \$\left(m \_\{i\} a \_\{i\}\right) . \text { Idelta } \\ & \text { r_\{i\}=0\$\$ } \end{aligned}$ | $\begin{aligned} & \text { \$\$(Isum_\{N\}^\{i=1\}F_\{i\}- } \\ & \text { m_\{i\}a_\{i\}).Idelta } \\ & \text { r_\{i\}=\|frac\{m\}\{a\} \$\$ } \end{aligned}$ | $\begin{aligned} & \$ \$(\text { lsum_\{N\}^\{i=1\}F_\{i\}-- } \\ & \text { m_\{i\}a_\{i\}).Idelta } \\ & \text { r_\{i\}=0\$\$ } \end{aligned}$ | $\begin{aligned} & \text { \$\$(lsum_\{N\}^\{i=1\}m_\{i\}- } \\ & \text { m_\{i\}a_i\}).Idelta } \\ & \text { r_\{i\}=0\$\$ } \end{aligned}$ | C |
| $\square$ | MCQ | The force acting on a particle at time $t$ is $F(t)=6 t i+j$, If the particle starts from the point $(3,-1,2)$ with the velocity $\mathrm{v}(0)=4 \mathrm{k}$, find parametric equations of its path in y directio | \$\$y=\frac $\{3 \mathrm{t}\}\{2 \mathrm{~m}\}-6 \$ \$$ | \$\$y=lfrac $\{t\}\{2 m\}-2 \$ \$$ | \$\$y=\|frac $\left\{t^{\wedge}\{3\}\right\}\{2 \mathrm{~m}\}-3 \$ \$$ | $\begin{aligned} & \$ \$ y=\backslash f r a c\{t \wedge\{2\}\} \\ & \{2 \mathrm{~m}\}-1 \$ \$ \end{aligned}$ | D |
| $\square$ | MCQ | Determine the unit tangent vector for the curve $\mathrm{x}=3 \mathrm{t}$; $\mathrm{y}=2 \mathrm{t} 2$; $z=t 2+t$ at the point $(6,8,6)$. | $\begin{aligned} & \$ \$ \mid f r a c\{2\}\{\text { sqrt }\{3\}\} \\ & (2 i+8 j+6 k) \$ \$ \end{aligned}$ | $\begin{aligned} & \$ \$ \mid f r a c\{5\} \backslash \text { sqrt }\{81\}\} \\ & (i+2 j+5 k) \$ \$ \end{aligned}$ | $\begin{aligned} & \$ \$ \mid f r a c\{1\} \backslash \text { sqrt\{ } 98\}\} \\ & (3 i+8 j+5 k) \$ \$ \end{aligned}$ | $\begin{aligned} & \$ \$ \mid \text { frac }\{3\}\{\text { sqrt }\{5\}\} \\ & (3 i+j+5 k) \$ \$ \end{aligned}$ | C |
| $\square$ | MCQ | $\begin{aligned} & \text { If } \$ \$ F=\mathrm{isin} 2 \mathrm{t}+\mathrm{je} \wedge\{3 \mathrm{t}\}+\mathrm{k}\left(\mathrm{t}^{\wedge}\{\mathrm{t}\}-4 \mathrm{t}\right) \\ & \$ \$ \text {, find } \mathrm{dF} / \mathrm{dt} \end{aligned}$ | \$\$2cos2i+3e^\{3\}j-k \$\$ | \$\$cos2i+3e^\{3\}j-k \$\$ | \$\$2cos2i+3e^\{3\}j-4k \$\$ | \$\$2cosi $+3 e^{\wedge}\{3\} j-2 k \$ \$$ | A |
| $\square$ | MCQ | $\$ \$ A=2 i+3 j+4 k \$ \$$ and $\$ \$ B=i-$ $2 j+3 k \$ \$$ find the angle between vectors $A$ and $B$ | \$\$32^\{0\}54^\{1\}\$\$ | \$\$48^\{0\}32^\{1\}\$\$ | \$\$72^\{0\}30^\{1\}\$\$ | \$\$66^\{0\}36^\{1\}\$\$ | D |
| $\square$ | MCQ | A man travelling southward at $15 \mathrm{~m} / \mathrm{hr}$ observes that the wind appears to be coming from the west. On increasing his speed to $25 \mathrm{~m} / \mathrm{hr}$ it appears to be coming from the southwest. Find the direction and speed of the wind | The wind is coming from a direction $56^{\circ} 18^{\prime}$ east of west at $15 \mathrm{~m} / \mathrm{hr}$ | The wind is coming from a direction $56^{\circ} 18^{\prime}$ north of west at $18 \mathrm{~m} / \mathrm{hr}$ | The wind is coming from a direction $56^{\circ} 18^{\prime}$ south of west at $15 \mathrm{~m} / \mathrm{hr}$ | The wind is coming from a direction $56^{\circ} 18^{\prime}$ north of east at $18 \mathrm{~m} / \mathrm{hr}$ | B |

Showing 1 to 35 of 35 entries

